P-Lingua 5: A tutorial

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17th Brainstorming Week on Membrane Computing

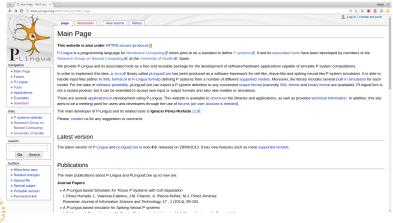
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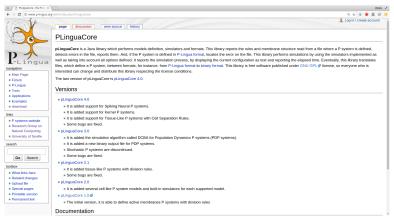


P-Lingua: A programming language for membrane computing (https://p-lingua.org/)

Presented for the first time in the 6th BWMC (2008)





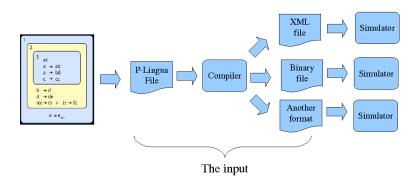






- pLinguaCore 1.0
 - Initial version
- pLinguaCore 2.0
 - Cell-like P systems with membrane division
 - Transition P systems
- pLinguaCore 2.1
 - Tissue-like P systems with cell-division
- pLinguaCore 3.0
 - PDP systems (several simulation algorithms, DCBA, Binomial...)
 - Tissue-like P systems with cell-separation
- pLinguaCore 4.0
 - Kernel P systems
 - Spiking Neural P systems
 - Tissue-like P systems with cell-separation









- Extending pLinguaCore for a new P system variant:
 - Decide a new name to identify the variant.
 - Extend the syntactic/semantic parser.
 - Implement code to generate output formats.
 - Implement one or more simulation algorithms.
- All is hard-coded in the library!





pLinguaCore: A Java library to parse and simulate P-Lingua files

Diagram of the general software methodology to add a new variant in pLinguaCore:





pLinguaCore: A Java library to parse and simulate P-Lingua files

Diagram of the general software methodology to add a new variant in

pLinguaCore:







https://github.com/RGNC/plingua

- A new tool written from scratch in C/C++
- A generic compiler for the command-line:
 - Input: P-Lingua files
 - Output: P system definition in XML, JSON or binary format
- P system variants are defined as sets of rule patterns
- Rule patterns can be written in P-Lingua files
- Two derivation modes for rules:
 - Maximal parallel mode
 - Bounded parallel mode
- A C++ generic simulator for the command-line





Example: Cell-Like P systems with membrane division rules

```
!dam_evolution {
    ?[a -> v]'h;
    ?[a -> ]'h;
}
!dam_send_in {
    a ?[]'h -> ?[b]'h;
}
!dam_send_out {
    ?[a]'h -> b ?[]'h;
}
!dam_dissolution {
    ?[a]'h -> b;
    ?[a]'h -> ;
}
```





Example: Cell-Like P systems with membrane division rules

```
!dam_division {
    ?[a]'h -> ?[]'h ?[]'h;
    ?[a]'h -> ?[b]'h ?[]'h;
    ?[a]'h -> ?[b]'h ?[b]'h;
    ?[a]'h -> ?[b]'h ?[c]'h;
}

@model(membrane_division) =
    dam_evolution,
    // evolution rules are maximally parallel
    @1{dam_send_in, dam_send_out, dam_dissolution, dam_division};
    // upper-bound for send_in, send_out, dissolution, division is 1
```





Example: Cell-Like P systems with membrane division rules

```
@model<membrane_division>
@include "membrane_division_model.pli"
def Sat(m,n)
{
   /* Initial configuration */
   @mu = [[]'2]'1;

   /* Initial multisets */
   @ms(2) = d{1};

   /* Set of rules */
   [d{k}]'2 --> +[d{k}]-[d{k}] : 1 <= k <= n;</pre>
```





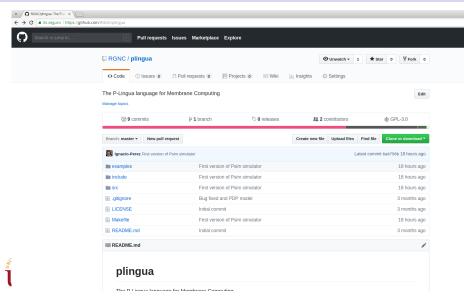
Example: Transition P systems

{

```
!transition_evolution /* Limited to rules with 3 inner membranes */
       [a -> v]'h;
       [a -> v, @d]'h;
  (?) [a -> v]'h:
   (?) [a -> v. Qd]'h:
       [a [ ]'h1 --> v [w]'h1]'h:
       [a [ ]'h1 --> v [w]'h1]'h:
   (?) [a [ ]'h1 --> v [w]'h1]'h;
   (?) [a [ ]'h1 --> v [w]'h1]'h:
       [a []'h1 []'h2 --> v [w1]'h1 [w2]'h2]'h;
       [a [ ]'h1 [ ]'h2 --> v [w1]'h1 [w2]'h2]'h;
  (?) [a [ ]'h1 [ ]'h2 --> v [w1]'h1 [w2]'h2]'h:
   (?) [a [ ]'h1 [ ]'h2 --> v [w1]'h1 [w2]'h2]'h;
       [a []'h1 []'h2 []'h3 --> v [w1]'h1 [w2]'h2 [w3]'h3]'h:
       [a []'h1 []'h2 []'h3 --> v [w1]'h1 [w2]'h2 [w3]'h3]'h:
   (?) [a [ ]'h1 [ ]'h2 [ ]'h3 --> v [w1]'h1 [w2]'h2 [w3]'h3]'h;
   (?) [a [ ]'h1 [ ]'h2 [ ]'h3 --> v [w1]'h1 [w2]'h2 [w3]'h3]'h;
 @model(transition) = transition_evolution;
```



Let's see more examples from Github



0 1

An extension of P-Lingua for semantic features Rule patterns

The P-Lingua parser is able to recognize rules with a very flexible syntax:

$$\begin{array}{c}
\rho \\
u[v_{1}[v_{1,1}]_{h_{1,1}}^{\alpha_{1,1}}\dots[v_{1,m_{1}}]_{h_{1,m_{1}}}^{\alpha_{1,m_{1}}}]_{h_{1}}^{\alpha_{1}}\dots[v_{n}[v_{n,1}]_{h_{n,1}}^{\alpha_{n,1}}\dots[v_{n,m_{n}}]_{h_{n,m_{n}}}^{\alpha_{n,m_{n}}}]_{h_{n}}^{\alpha_{n}} \\
\stackrel{q}{\longrightarrow} or \stackrel{q}{\longleftrightarrow} \\
w_{0}[w_{1}[w_{1,1}]_{g_{1,1}}^{\beta_{1,1}}\dots[w_{1,r_{1}}]_{g_{1,n_{1}}}^{\beta_{1,r_{1}}}]_{g_{1}}^{\beta_{1}}\dots[w_{s}[w_{s,1}]_{g_{s,1}}^{\beta_{s,1}}\dots[w_{s,r_{s}}]_{g_{s,r_{s}}}^{\beta_{s,r_{s}}}]_{g_{s}}^{\beta_{s}}
\end{array}$$





Rule patterns

where:

- p is a priority related to the rule given by a natural number, where a lower number means a higher rule priority.
- q is a probability related to the rule given by a real number in [0,1].
- $\alpha_i, \alpha_{i,j}, 1 \leq i \leq n, 1 \leq j \leq m_i$ and $\beta_i, \beta_{i,j}, 1 \leq i \leq s, 1 \leq j \leq r_i$ are electrical charges.
- $h_i, h_{i,j}, 1 \le i \le n, 1 \le j \le m_i$ and $g_i, g_{i,j}, 1 \le i \le s, 1 \le j \le r_i$ are membrane labels.
- $u, v_i, v_{i,j}, 1 \le i \le n, 1 \le j \le m_i$ and $w_i, w_{i,j}, 1 \le i \le s, 1 \le j \le r_i$ are multisets of objects.





Rule patterns

Next, there is a list of P-Lingua rule examples matching the general rule syntax:

- a,b [d,e*2]'h --> [f,g]'h :: q; where q is the probability of the rule.
- (p) [a]'h --> [b]'h; where p is the priority of the rule.
- [a --> b] 'h;, the left-hand side and right-hand side of evolution rules can be collapsed.
- +[a]'h --> +[b]'h -[c]'h; a division rule using electrical charges.
- [a] 'h --> ; a dissolution rule.
- a[]'h --> [b]'h; a send-in rule.
- [a] 'h --> b[] 'h; a send-out rule.
- [a --> #]'h; the symbol # can be optionally used as empty multiset.
 - [a]'1 <--> [b]'0; a symport/antiport rule in the tissue-like framework.

Rule patterns

- The general rule syntax is very permissive
- We introduce a rule pattern matching language to define the subset of allowed rules

```
!rule-type-id
{
pattern1
pattern2
...
patternN
}
```





- From an informal point of view, we can see a derivation mode as the way a step of a P system is performed.
- In this extension of P-Lingua, we provide two derivation modes
 - Maximally parallel derivation mode (max). In this mode, we only take multisets of rules that are not extensible.
 - Bounded-by-rule parallel derivation mode. In this mode, an upper-bound is defined for multisets of rules that can be selected.
- A P system model can be defined in this new extension of P-Lingua by aggregating the allowed rule patterns and its corresponding derivation modes.





• bound $B_1,...,B_r$





- $bound_{B_1,...,B_r}$ $B_i = j, j \in \{a, b, ...\}$





- $\bullet \ bound_{B_1,\dots,B_r}$ $\bullet \ B_i = j, j \in \{a,b,\dots\}$
 - $B_i = \beta_n(B_1, \ldots, B_{r_i})$





- bound $B_1,...,B_r$
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 - Maximally parallel derivation mode (max).





- bound $B_1,...,B_r$
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 bound evolution,β₁(send out,send in,dissolution,division)





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 - bound evolution, β_1 (send out, send in, dissolution, division)
 - Bounded-by-rule parallel derivation mode.
 bound _A (evolution, B₂ (send out, send in))





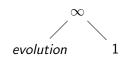
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 - $\frac{bound}{evolution, \beta_1(send-out, send-in, dissolution, division)}$
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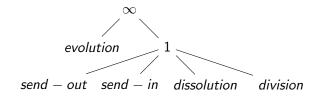




- bound $B_1,...,B_r$
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bound evolution, β_1 (send – out, send – in, dissolution, division)

Bounded-by-rule parallel derivation mode.
 bound _A (evolution, B₂ (send – out, send – in))



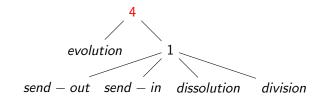




- bound $B_1,...,B_r$
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bound evolution, β_1 (send – out, send – in, dissolution, division)

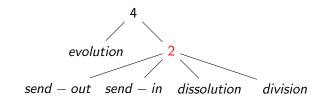
Bounded-by-rule parallel derivation mode.
 bound _A (evolution, B₂ (send – out, send – in))







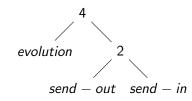
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 bound _A (evolution, A₂ (send out, send in))







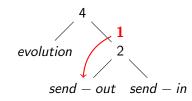
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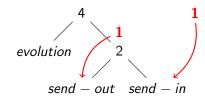
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 bound evolution, β₁(send out, send in, dissolution, division)
 - Bounded-by-rule parallel derivation mode.
 bound _{B4} (evolution, B2 (send out, send in))







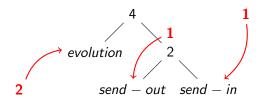
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 bound β₄(evolution,β₂(send-out,send-in))







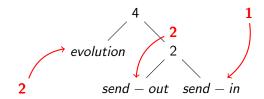
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 - bound $_{evolution,\beta_1}(send-out,send-in,dissolution,division)$
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 bound β₄(evolution,β₂(send-out,send-in))







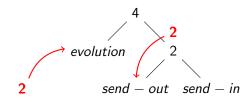
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 bound evolution, β₁(send out, send in, dissolution, division)
 - Bounded-by-rule parallel derivation mode.
 bound _b (evolution, \(\beta_2 \) (send out, send in))







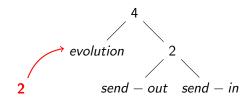
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 bound evolution,β₁(send out,send in,dissolution,division)
 - Bounded-by-rule parallel derivation mode.
 bound _A (evolution, A₂ (send out, send in))







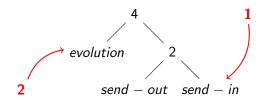
- bound $B_1,...,B_r$
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 - Maximally parallel derivation mode (max).
 - bound $_{evolution,\beta_1}(send-out,send-in,dissolution,division)$ Bounded-by-rule parallel derivation mode.
 - bound β_4 (evolution, β_2 (send—out, send—in))







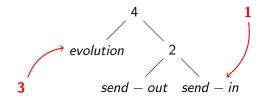
- bound_{$B_1,...,B_r$}
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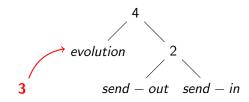
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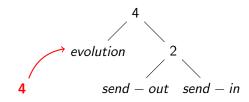
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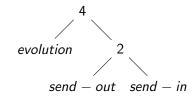




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bound evolution, β_1 (send – out, send – in, dissolution, division)

Bounded-by-rule parallel derivation mode.
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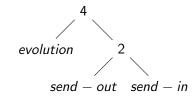


Not only syntax, but also semantics definition!





- bound $B_1,...,B_r$
 - $B_i = j, j \in \{a, b, \dots\}$
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 - bound $_{\text{evolution},\beta_1}$ (send $_{\text{out},\text{send}-\text{in},\text{dissolution},\text{division}}$)
 - Bounded-by-rule parallel derivation mode.
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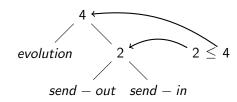


Not only **syntax**, but also **semantics** definition!

Take into account!



- bound_{B1,...,Br}
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 bound _{B4} (evolution, B2 (send out, send in))



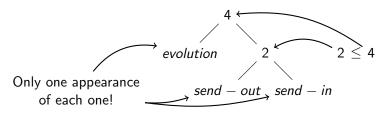


Not only **syntax**, but also **semantics** definition!

Take into account!



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Not only **syntax**, but also **semantics** definition!

Take into account!



P-Lingua 5: The command-line simulator

- A command-line simulator has been written in C++
- It reads the output generated by the P-Lingua compiler (XML/Json/binary file defining the P system)
- It optionally reads a file with the initial configuration
- It simulates the P system following the defined semantics in the file
- It outputs one computation until a halting state or a number of simulation steps
- It can be run in a non-randomized mode, where it outputs always the same computation for a given P system
- The final configuration is written to a file, the simulation can be re-started





Conclusions

- A new version of P-Lingua has been designed including rule patterns and semantic definitions
- ullet a command-line compiler has been written from scratch in C/C++
- a command-line simulator tool is also provided
- hard-coding the definition of the P system variants is not longer necessary
- this tool allow the designers to "play" with experimental variants of P systems





Future work

- To refine the syntax for semantic ingredients in P-Lingua.
- To cover variants such as Spiking Neural P systems and Fuzzy Reasoning Spiking Neural P systems
- To write simulators for parallel architectures, such as multi-core processors, pthreads, GPUs, FPGAs...
- To design optimized simulation tools for interesting case studies





Thanks for your attention!





